

NASA/TM—2001-210063



An Analysis and Procedure for Determining Space Environmental Sink Temperatures With Selected Computational Results

Albert J. Juhasz
Glenn Research Center, Cleveland, Ohio

January 2001

The NASA STI Program Office . . . in Profile

Since its founding, NASA has been dedicated to the advancement of aeronautics and space science. The NASA Scientific and Technical Information (STI) Program Office plays a key part in helping NASA maintain this important role.

The NASA STI Program Office is operated by Langley Research Center, the Lead Center for NASA's scientific and technical information. The NASA STI Program Office provides access to the NASA STI Database, the largest collection of aeronautical and space science STI in the world. The Program Office is also NASA's institutional mechanism for disseminating the results of its research and development activities. These results are published by NASA in the NASA STI Report Series, which includes the following report types:

- **TECHNICAL PUBLICATION.** Reports of completed research or a major significant phase of research that present the results of NASA programs and include extensive data or theoretical analysis. Includes compilations of significant scientific and technical data and information deemed to be of continuing reference value. NASA's counterpart of peer-reviewed formal professional papers but has less stringent limitations on manuscript length and extent of graphic presentations.
- **TECHNICAL MEMORANDUM.** Scientific and technical findings that are preliminary or of specialized interest, e.g., quick release reports, working papers, and bibliographies that contain minimal annotation. Does not contain extensive analysis.
- **CONTRACTOR REPORT.** Scientific and technical findings by NASA-sponsored contractors and grantees.

- **CONFERENCE PUBLICATION.** Collected papers from scientific and technical conferences, symposia, seminars, or other meetings sponsored or cosponsored by NASA.
- **SPECIAL PUBLICATION.** Scientific, technical, or historical information from NASA programs, projects, and missions, often concerned with subjects having substantial public interest.
- **TECHNICAL TRANSLATION.** English-language translations of foreign scientific and technical material pertinent to NASA's mission.

Specialized services that complement the STI Program Office's diverse offerings include creating custom thesauri, building customized data bases, organizing and publishing research results . . . even providing videos.

For more information about the NASA STI Program Office, see the following:

- Access the NASA STI Program Home Page at <http://www.sti.nasa.gov>
- E-mail your question via the Internet to help@sti.nasa.gov
- Fax your question to the NASA Access Help Desk at 301-621-0134
- Telephone the NASA Access Help Desk at 301-621-0390
- Write to:
NASA Access Help Desk
NASA Center for Aerospace Information
7121 Standard Drive
Hanover, MD 21076

NASA/TM—2001-210063



An Analysis and Procedure for Determining Space Environmental Sink Temperatures With Selected Computational Results

Albert J. Juhasz
Glenn Research Center, Cleveland, Ohio

Prepared for the
2000 International Conference on Environmental Systems
sponsored by the Society of Automotive Engineers
Toulouse, France, July 11–14, 2000

National Aeronautics and
Space Administration

Glenn Research Center

January 2001

Available from

NASA Center for Aerospace Information
7121 Standard Drive
Hanover, MD 21076
Price Code: A03

National Technical Information Service
5285 Port Royal Road
Springfield, VA 22100
Price Code: A03

Available electronically at <http://gltrs.grc.nasa.gov/GLTRS>

AN ANALYSIS AND PROCEDURE FOR DETERMINING SPACE ENVIRONMENTAL SINK TEMPERATURES WITH SELECTED COMPUTATIONAL RESULTS

Albert J. Juhasz
National Aeronautics and Space Administration
Glenn Research Center
Cleveland, Ohio 44135

SUMMARY

The purpose of this report was to analyze the heat-transfer problem posed by the determination of spacecraft temperatures and to incorporate the theoretically derived relationships in the computational code TSCALC. The basis for the code was a theoretical analysis of the thermal radiative equilibrium in space, particularly in the Solar System. Beginning with the solar luminosity, the code takes into account these key variables: the spacecraft-to-Sun distance expressed in astronomical units (AU), where 1 AU represents the average Sun-to-Earth distance of 149.6 million km; the angle (arc degrees) at which solar radiation is incident upon a spacecraft surface (ILUMANG); the spacecraft surface temperature (a radiator or photovoltaic array) in kelvin; the surface absorptivity-to-emissivity ratio α/ϵ with respect to the solar radiation and $(\alpha/\epsilon)_2$ with respect to planetary radiation; and the surface view factor to space F .

INTRODUCTION

For the thermal design of spacecraft radiators, it is necessary to determine a space background temperature, or equivalent space sink temperature, to which radiators reject their design heat load. This is especially true for radiators that operate at the relatively low temperature range of 300 to 500 K, for which early assumptions of 0 to 3 K for the sink temperature introduced serious errors in the determination of the required radiator area. This equivalent space sink temperature is not the temperature of the vacuum surrounding a spacecraft; rather, it is an equilibrium temperature that a passive radiating surface assumes by exchanging thermal radiation energy with the space environment without any onboard (internally generated) heat load that has to be rejected to space. This equilibrium temperature, a function of the spacecraft-to-Sun distance and the angle at which the surface intercepts solar radiation, is greatly influenced by the characteristics (key variables) of the radiating surface. These are the view factor to space F and the α/ϵ ratio, which expresses the surface absorptivity of solar radiation to the emissivity at its final equilibrium temperature when heat is radiated to space, usually in the infrared region of the spectrum.

Early reports (Goldman and Singer, 1957) assumed for radiator surfaces gray-body characteristics that gave α/ϵ values near unity. The work of Rittenhouse and Singletary (1968) showed that special metal oxide coatings such as Z-93 could be applied to surfaces to lower the amount of solar energy absorbed while keeping infrared emissivity high. With the achievement of α/ϵ values near 0.1 for these coatings, the space equivalent sink temperatures have been effectively lowered, permitting more heat to be rejected by a radiator with a given surface area and an effective radiating temperature.

The purpose of this report was to derive the equilibrium temperatures that actual spacecraft radiating surfaces would experience from the combined effects of solar and planetary radiation and to determine the amount of onboard heat to be rejected. The derivation is based on a new definition of the term "space sink temperature" and differs from earlier definitions, such as that of Gordon (1982), who defined the temperature of space as the equilibrium temperature that a small black sphere would experience.

In contrast to Gordon's (1982) definition of the space sink temperature, the theoretical derivations in this report are based on the equilibrium temperature that a radiating surface having a given α/ϵ ratio would achieve in space. The conditions are that the surface does not have internal heat to be rejected but is exposed to a given incident radiant energy flux from the Sun (or star) and planetary surfaces, part of which is reradiated to the space background. The amount of thermal energy that reradiates into space is determined by the key variables, such as the α/ϵ ratio and the view factor to space. Two additional statements can be made regarding the authors' definition of space sink temperature:

1. If the incident radiant energy flux is reduced to zero, the equilibrium sink temperature for a surface without internal heat generation would drop to 0 K. Note, however, that this condition cannot be realistically achieved, even in interstellar space where thermal equilibrium is attained at about 3 K.

2. For a radiating surface that is rejecting an internal heat load, the average equilibrium surface temperature increases to a value consistent with the higher temperature value in the Stefan-Boltzmann equation. Substituting the sink temperature, as expressed by the new definition, for the lower temperature value in the same equation results in the radiated heat being equal to the internal heat load that must be rejected by the surface.

SYMBOLS

| | |
|-----------------------|---|
| A | albedo, fraction of incident radiation reflected from a planetary surface |
| A_{RS} | radiator surface area, m^2 |
| A_S | radiating surface sail area, where $A_{RS} = A_S F$ is total radiating surface |
| d | mean distance between the Earth and Sun, AU |
| F | view factor to space |
| f | energy flux (incident energy per second per unit area), W/m^2 |
| f_i | individual radiation fluxes, including solar radiation, reflected radiation, and flux due to internal heat generation, W/m^2 |
| f_Q | heat flow per unit cross-sectional area, W/m^2 |
| H | orbital altitude, m |
| L | solar energy generation rate, or luminosity, W |
| Q | radiative heat transfer, W |
| Q_W | onboard heat generation, W |
| R | planetary radius (6378 km for Earth), km |
| S | solar constant |
| T_E | thermal equilibrium at temperature, K |
| T_{ES} | equilibrium temperature for rotating satellite, K |
| T_R | arbitrary radiating temperature, K |
| T_S | equivalent space sink temperature, K |
| T_1, T_2 | hot and cold temperatures, respectively, K |
| α | absorptivity, fraction of incident radiation absorbed by the body (for black bodies, $\alpha = \epsilon = 1$; for gray bodies, $\alpha = \epsilon < 1$) |
| α/ϵ | absorptivity-to-emissivity ratio |
| $(\alpha/\epsilon)_2$ | infrared planetary radiation absorptivity-to-emissivity ratio |
| ϵ | emissivity of radiating surface, where $\epsilon = 1$ for black body and $\epsilon < 1$ for gray body |
| θ_P | angle at which radiator plate intercepts energy from planet that spacecraft is orbiting, deg |
| θ_s | solar illumination angle, deg |
| η | surface fin effectiveness (efficiency) |
| ρ | reflectivity, fraction of incident radiation reflected from surface of body |
| σ | Stefan-Boltzmann constant, $5.67 \times 10^{-8} W/m^2 K^4$ |
| τ | transmissivity, fraction of incident radiation transmitted through body |

ANALYSIS OF RADIATION HEAT TRANSFER IN SPACE

This section presents a mathematical analysis of radiation heat transfer in space. The derivation of the constitutive equations and relationships that describe radiant energy exchange in space has been used as the basis for developing the computational code TSCALC.

Derivation of Equations

Radiative heat transfer.—The radiative heat transfer Q between two bodies at temperatures T_1 and T_2 , where $T_2 \ll T_1$ (negligible reradiation), can be expressed according to the Stefan-Boltzmann Law as

$$Q = \sigma \epsilon F A_s (T_1^4 - T_2^4) \quad (1)$$

where

- Q radiated heat flow, W
- σ Stefan-Boltzmann constant, $5.67 \times 10^{-8} \text{ W/m}^2\text{K}^4$
- ϵ emissivity of radiating surface, where $\epsilon = 1$ for black body and $\epsilon < 1$ for gray body
- F surface area view factor between radiating bodies
- A_{RS} radiating surface sail area, m^2
- A_S radiating surface sail area, where radiator surface area $A_{RS} = A_S F$ is total radiating surface
- T_1, T_2 hot and cold temperatures, respectively, K

Objects in the vacuum of space at arbitrary radiating temperatures T_R lose heat by radiation to an environmental equilibrium, or space sink temperature T_S , that is very near absolute zero (~ 3 K) in interstellar space. However, as shown later in the Results and Discussion section, T_S can be several hundred degrees kelvin in the neighborhood of the inner planets of the Solar System. Hence, to correctly size the areas for space satellite radiators that operate at temperatures between 300 and 400 K, the equivalent space sink temperatures must be determined within an accuracy of a few tens of degrees.

For the space radiation case, equation (1) can be rewritten in terms of T_R and T_S :

$$Q = \sigma \epsilon F A_s (T_R^4 - T_S^4) \quad (2)$$

The equivalent space sink temperatures T_S in the neighborhood of planets in the Solar System was calculated as follows. Starting with the solar energy generation rate (or luminosity) L , the energy absorption rate per Earth (or planet) unit surface area needs to be balanced by the re-emitted energy rate for thermal equilibrium to be achieved at T_E or T_{EARTH} . For this analysis, F is set to unity. If the Sun is represented as a heat source at the center of a sphere whose radius is equal to the mean distance between the Earth and Sun d , the figure shows that about 1370 W fall on each square meter that is perpendicular to the radiating energy flux. The value 1370 W/m^2 is referred to as the solar constant at 1 AU (astronomical unit), where $d = 1.496 \times 10^{11} \text{ m}$. The value of the solar constant S can be determined by dividing the luminosity L of the Sun by the area of the sphere with a radius equal to 1 AU:

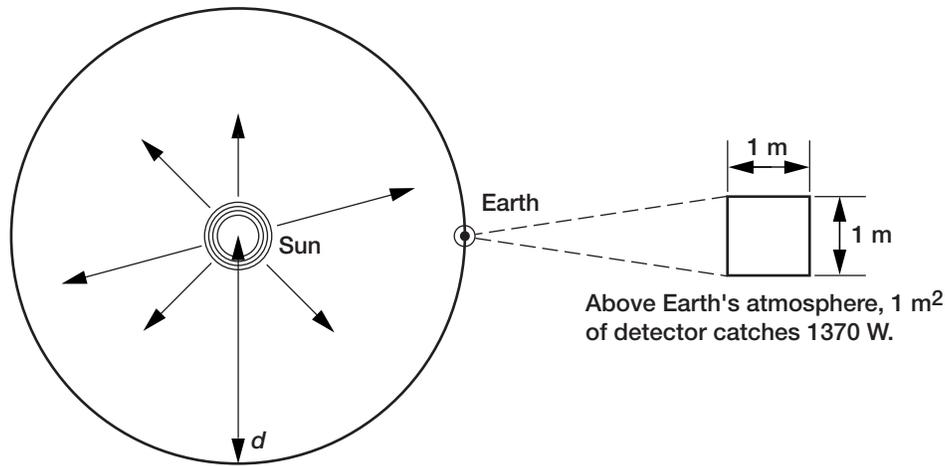
$$S = \frac{L}{4\pi d^2} \quad (3a)$$

Substituting L with the value of $3.86 \times 10^{26} \text{ W}$ gives

$$S = 1372.5 \text{ W/m}^2 \quad \text{for 1 AU} \quad (3b)$$

and when rounded to three significant figures becomes

$$S = 1370 \text{ W/m}^2 \quad (3c)$$



A giant sphere, 1 AU in radius, would catch all the Sun's radiative energy.

Figure 1.—Sun-to-Earth heat radiation case.

Note that the result shown in equation (3c) represents the incident energy rate per unit Earth surface area that is perpendicular to the solar energy flux. Before we determine the fraction of this energy flux absorbed by the surface, some important relationships must be reviewed in the next section.

Absorption, reflection, and transmission of radiation.—When electromagnetic radiation impinges on a body, it is partially absorbed, partially reflected, and partially transmitted. The relation between the absorbed, reflected, and transmitted energy is

$$\alpha + \rho + \tau = 1 \quad (4)$$

where

α absorptivity, fraction of incident radiation absorbed by the body (for black bodies, $\alpha = \epsilon = 1$; for gray bodies, $\alpha = \epsilon < 1$)

ρ reflectivity, fraction of incident radiation reflected from surface of body

τ transmissivity, fraction of incident radiation transmitted through body

For opaque bodies such as the planets, transmissivity $\tau = 0$. Equation (4) then can be expressed as

$$\alpha + \rho = 1 \quad (5a)$$

Calculation of Planetary Temperatures in Solar System

Space radiators in planetary orbits are exposed to solar and planetary radiation; therefore, we must first determine the equilibrium temperatures at which planets radiate to spacecraft, even if the spacecraft is in the planetary shadow and does not receive any solar radiation.

Planets also reflect part of the incident solar radiation into space where orbiting spacecraft may receive some of it in addition to the direct radiation heating by the Sun. The reflectivity of planets is referred to as the albedo and is represented by A in equation (5b). Thus, from equation (5a), the absorptivity can be expressed as

$$\alpha = 1 - A \quad (5b)$$

To proceed with the calculation of equivalent space sink temperature T_S at a given planetary orbit distance from the Sun, the energy flux, or incident energy per second per unit area f , is defined as

$$f = \frac{\text{Energy rate (W)}}{\text{Area (m}^2\text{)}} \quad (6)$$

For thermal equilibrium at temperature T_E to be achieved,

$$f_{\text{emitted}} \times \text{Radiating area} = f_{\text{absorbed}} \times \text{Absorbing area} \quad (7)$$

where (fig. 1)

$$f_{\text{emitted}} = \sigma \epsilon T_E^4 \quad \text{and} \quad f_{\text{absorbed}} = \frac{(1-A)L}{4\pi d^2} \quad (8a)$$

Because the Earth is a rapidly rotating planet, once every 24 hr, its entire surface is considered to be at approximately the same temperature. Hence, the total surface energy (or heat) emitted will be

$$f_{\text{emitted}} \times 4\pi R^2 \quad (8b)$$

where R is the planetary radius (6378 km for the Earth).

The total heat intercepted by the Earth from the Sun is the heat flux times the projected Earth area on an imaginary sphere with a radius of 1 AU. This area is represented as πR^2 . Thus, the total energy absorbed is $f_{\text{absorbed}} \times \pi R^2$.

Substitute the expressions from equation (7) to obtain

$$\sigma \epsilon T_E^4 \times 4\pi R^2 = \frac{(1-A)L \times \pi R^2}{4\pi d^2} \quad (9)$$

Solving equation (9) for T_E , one obtains

$$T_E = 4 \sqrt[4]{\frac{(1-A)L}{16\pi\sigma\epsilon d^2}} \quad (10)$$

Substituting the numerical values for L , d , and σ yields, after some simplification,

$$T_E = 279 \sqrt[4]{\frac{(1-A)}{\epsilon d^2}} \quad (11)$$

where T_E is in kelvin and d is in astronomical units (Earth = 1 AU).

If the approximate value of the Earth's albedo ($A \sim 0.3$) and the emissivity ($\epsilon \sim 0.8$) are substituted in equation (11), we obtain the approximate value of 270 K for T_E , which will be used to calculate the radiation from Earth to the orbiting spacecraft.

Recall that equation (11) was derived for rapidly rotating planets such as Earth or Mars. For slowly rotating planets like Mercury and the Moon, one must take into account that these bodies receive energy over their projected (disk) areas and emit energy, not over their full spherical surface areas but only over the same projected areas because the remaining surface area is considered to be too cold to radiate a significant amount of energy back to space. For such bodies, the thermal equilibrium is thus established when

$$\sigma \epsilon T_E^4 \times \pi R^2 = \frac{(1-A)L \times \pi R^2}{4\pi d^2} \quad (12)$$

and

$$T_E = \sqrt[4]{\frac{(1-A)L}{4\pi\sigma\epsilon d^2}} \quad (13a)$$

or

$$T_E = 394 \sqrt[4]{\frac{(1-A)}{\epsilon d^2}} \quad (13b)$$

where, as before, the Sun-Earth distance d is expressed in AU. A comparison of equations (10) and (13a) shows that for slowly rotating planets, the equilibrium temperature is higher by a factor equivalent to the fourth root of the projected area (i.e., the ratio of sphere surface-to-disk area), namely the fourth root of 4.

Apply equation (13a), for $d = 1$ AU, $\epsilon = 1$, and $A = 0.07$, to Earth's moon to obtain

$$T_E = 394 \sqrt[4]{\frac{(1-0.07)}{1^2}} = 387 \text{ K} \quad (13c)$$

which is the maximum temperature at the lunar equator at noon. Note that on the dark side (during the 356-hr lunar night), the temperature is ~ 70 K.

Calculation of Spacecraft Temperatures in Planetary Orbits

In addition to the electromagnetic radiation from the solar spectrum, spacecraft in planetary orbits receive long-wavelength infrared radiation from planets they orbit.

Near-spherical satellites.—For polyhedral spacecraft geometries that are nearly spherical, equation (10) will give a good approximation of the equilibrium temperature due to solar radiation. However, the term that expresses the absorptivity-to-emissivity ratio for the planetary surface $(1-A)/\epsilon$ is replaced by the absorptivity-to-emissivity ratio α/ϵ for the radiating surface material. Thus, for near-spherical shapes, the equilibrium temperature for the rotating satellite T_{ES} becomes

$$T_{ES} = \sqrt[4]{\frac{\left(\frac{\alpha}{\epsilon}\right)\left(\frac{1}{F}\right)L}{16\pi\sigma d^2}} \quad (14)$$

where the value of the view factor to space F will normally be close to unity but can be lower if the radiating surface is partially occulted by projecting parts of the spacecraft. Lowering the value of F will cause T_{ES} to increase.

Flat-plate radiator surfaces.—For flat-plate radiators, in addition to the α/ϵ ratio, we need to include the solar illumination angle θ_S , the angle at which the radiator plate intercepts the solar flux. Thus, the equilibrium temperature T_E due to reflected solar radiation can be expressed as

$$T_E = \sqrt[4]{\frac{AL \sin \theta_S \left(\frac{\alpha}{\epsilon}\right) \tau}{F(4\pi\sigma d^2)}} \quad (15)$$

where τ is the transmissivity of the atmosphere. If a satellite is outside a planetary atmosphere, as is normally the case, τ is set to unity.

Albedo.—Recall that the albedo A is the fraction of incident radiation reflected from a planetary surface; thus, for a surface in Earth orbit at altitude H , we have from equation (8a)

$$f_{\text{reflected}} = \left(\frac{AL\tau}{4\pi d^2} \right) \times \left(\frac{R_E}{R_E + H} \right)^2 \quad (16a)$$

where $f_{\text{reflected}}$ is the reflected radiation energy flux per unit area at orbital altitude H (in meters), and R_E is the radius of the Earth (6.378×10^6 m). Note that the atmospheric transmissivity ($\tau < 1$) reduces the reflected radiation flux. Of this energy flux, the fraction absorbed by a radiating surface is

$$f_{\text{absorbed}} = f_{\text{reflected}} \sin \theta_p \alpha \quad (16b)$$

where θ_p is the angle at which the radiator plate intercepts energy from a planet that the spacecraft is orbiting. Therefore, due to albedo alone, the equilibrium temperature of a satellite's radiating surface is

$$T_E = \sqrt[4]{\frac{AL\tau \sin \theta_p \left(\frac{\alpha}{\varepsilon} \right)}{F(4\pi\sigma d^2)} \left(\frac{R_E}{R_E + H} \right)^2} \quad (16c)$$

Earth shine, or direct planetary radiation.—For direct radiation from Earth or a planet at its previously determined equilibrium temperature T_{EARTH} , the radiation heat flux at or near the planetary surface is

$$f_{\text{radiated}} = \sigma \varepsilon \tau T_{\text{EARTH}}^4 \quad (17a)$$

and the equilibrium temperature T_E of a radiating surface at orbital altitude H , due to direct Earth (planet) shine, is given by

$$T_E = \sqrt[4]{\left(\frac{f_{\text{radiated}}}{F} \right) \left[\left(\frac{\alpha}{\varepsilon} \right)_2 \tau \sin \theta_p \left(\frac{1}{\sigma} \right) \right] \left(\frac{R_E}{R_E + H} \right)^2} \quad (17b)$$

where $(\alpha/\varepsilon)_2$ is the infrared planetary radiation absorptivity-to-emissivity ratio of the plate radiator surface and τ is the transmissivity of the atmosphere. In most cases, $(\alpha/\varepsilon)_2$ will be close to unity.

Internal heat generation.—A spacecraft radiator surface normally rejects heat generated onboard. This rejection causes a rise in the equilibrium radiating temperature because of the internal heat flux (the heat flow per unit cross-sectional area f_Q):

$$f_Q = \frac{Q_W}{F\varepsilon\eta A_{RS}} \quad (18)$$

where η is the surface fin effectiveness (efficiency) and Q_W is the onboard heat generation in watts. In the absence of all other effects, this equilibrium temperature would be represented by

$$T_E = \sqrt[4]{\frac{Q_W}{F\varepsilon\sigma\eta A_{RS}}} \quad (19)$$

Combined effects.—To determine the combined effects on T_E of the heat-transfer mechanisms discussed in the previous sections, the individual radiation fluxes f_i are added and set equal to $\sigma\epsilon T_E^4$. When solved for T_E , the following equation expresses the combined effects of solar radiation, albedo, planetary surface temperature radiation in the long-wavelength infrared region, and internal heat generation:

$$T_E = \sqrt[4]{\frac{\sum f_i}{F(\sigma\epsilon)}} \quad (20)$$

RESULTS AND DISCUSSION

The equations expressing the thermal equilibrium relationships derived in the section Analysis of Radiation Heat Transfer in Space were incorporated in the computer code TSCALC. Several options in this code permit the user to evaluate the effects of key input variables, such as solar distance d (AU), the incident angles for solar and planetary radiation θ_s (ILUMANG) and θ_p (ILUM2), the absorptivity-to-emissivity ratio α/ϵ (AE) for solar radiation, the infrared planetary radiation absorptivity-to-emissivity ratio $(\alpha/\epsilon)_2$ (AE2), and the view factor to space F (FV). Note that FV can have a value up to 2 for flat-plate radiators rejecting heat from both sides. If both sides do not have a full 2π steradian view of space, the value will be less than 2. For a sphere that receives thermal radiation over its projected area but reradiates over the full surface area, FV can have a maximum value of 4.

An example showing the increase in equilibrium temperatures for a spacecraft surface approaching the Sun from the heliopause at 220 AU is shown in table I. Note that the corona temperature of nearly 2000 K at the 0.02-AU position represents the expected value at the closest approach during the future perihelion mission. A carbon-carbon heat shield having an α/ϵ (AE) of 0.6 and intercepting solar radiation at 25° (ILUMANG) may be used to shield the spacecraft.

Figure 2 graphically depicts the heat flux and temperature information. Note that the temperatures shown are for planetary orbit distances, not for the planets themselves. However, planetary temperatures could be computed by the code if the proper input values (ILUMANG, FV, and AE) were used.

Table II shows the effect at 1 AU of the insolation angle, which is defined as the angle at which a reradiating surface without internal heat generation ($Q_W = 0$) intercepts the solar energy flux. Note that for a solar incident angle θ_s of 0° , the code gives a value of 3 K because the solar heat flux has been eliminated and the equilibrium temperature is that of interstellar space.

The information in table III can be used to consider the example of equilibrium temperatures determined primarily by planetary radiation in the infrared domain for a space structure in geostationary orbit at a 35 876-km altitude. By setting the incident angle for solar radiation (ILUMANG) equal to 0.1° , we assume that 99.9 percent of the solar heat flux can be eliminated by shielding and insulation. Also, by assuming an Earth-gravity-gradient-stabilized structure, one can see how the space sink temperature varies as the direct radiation from the Earth is incident upon a surface from 1° to 10° of arc. From the table, we can see that temperatures lower than 77 K (liquid nitrogen boiling point at atmospheric pressure) can be maintained if the angle of incident Earth radiation can be held to less than 5° .

TABLE I.—CONDITIONS FOR SPACECRAFT APPROACHING SUN TO AU = 0.02

| ILUMANG (DEG) | FV | EPS | AE | AU | Q/A(W/M2) (90 DEG.) | TS(K) | ORBIT |
|------------------|-----|-----|-----|---------|------------------------|--------|---------|
| 25.00 | 1.0 | .88 | .60 | 220.000 | .03 | 18.9 | HLPAUSE |
| 25.00 | 1.0 | .88 | .60 | 39.438 | .88 | 44.6 | PLUTO |
| 25.00 | 1.0 | .88 | .60 | 30.058 | 1.52 | 51.1 | NEPTUNE |
| 25.00 | 1.0 | .88 | .60 | 19.182 | 3.73 | 63.9 | URANUS |
| 25.00 | 1.0 | .88 | .60 | 9.539 | 15.08 | 90.6 | SATURN |
| 25.00 | 1.0 | .88 | .60 | 5.203 | 50.70 | 122.7 | JUPITER |
| 25.00 | 1.0 | .88 | .60 | 3.000 | 152.50 | 161.6 | ASTRDS |
| 25.00 | 1.0 | .88 | .60 | 1.524 | 591.18 | 226.8 | MARS |
| 25.00 | 1.0 | .88 | .60 | 1.000 | 1372.51 | 279.9 | EARTH |
| 25.00 | 1.0 | .88 | .60 | .723 | 2623.26 | 329.1 | VENUS |
| 25.00 | 1.0 | .88 | .60 | .387 | 9164.15 | 450.0 | MERCURY |
| 25.00 | 1.0 | .88 | .60 | .020 | 3431265.02 | 1979.3 | CORONA |

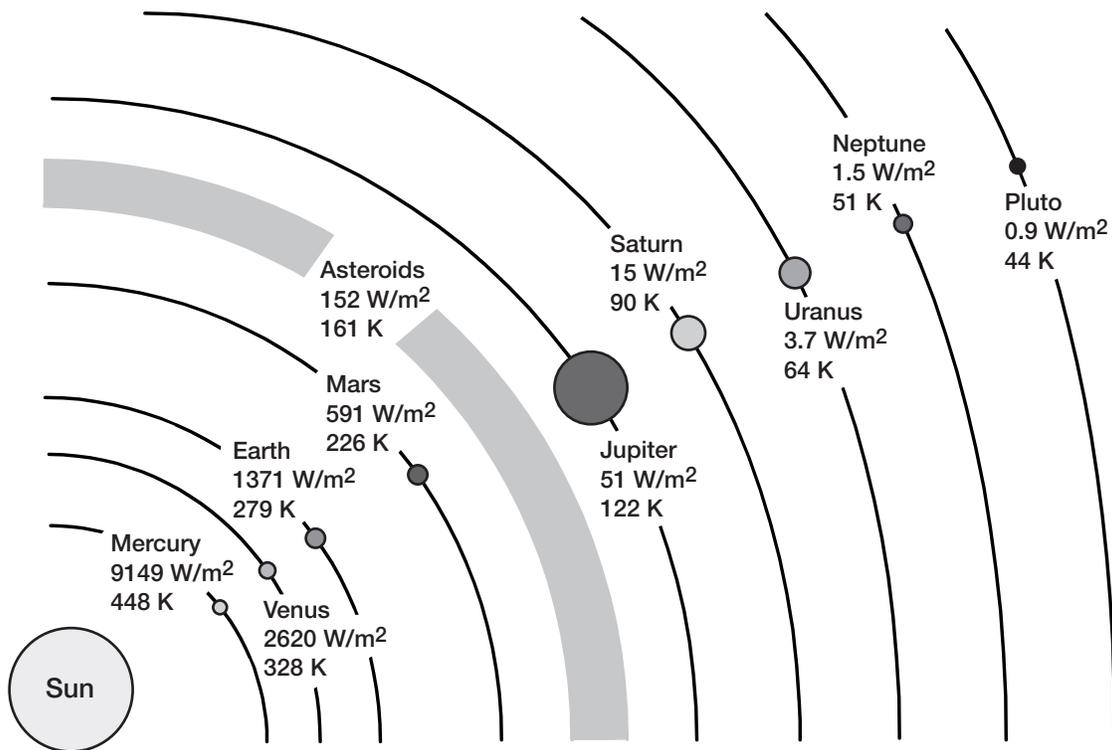


Figure 2.—Solar heat flux and spacecraft surface temperatures at various planetary orbit distances.

TABLE II.—SINK TEMPERATURE (TS) AS FUNCTION OF INSOLATION ANGLE AT 1 AU

| ILUMANG (DEG) | FV | EPS | AE | AU | TS(K) | QW-WATTS |
|---------------|-----|-----|-----|-------|-------|----------|
| .00 | 1.5 | .88 | .18 | 1.000 | 3.0 | .0 |
| 1.00 | 1.5 | .88 | .18 | 1.000 | 84.4 | .0 |
| 2.00 | 1.5 | .88 | .18 | 1.000 | 100.3 | .0 |
| 3.00 | 1.5 | .88 | .18 | 1.000 | 111.0 | .0 |
| 4.00 | 1.5 | .88 | .18 | 1.000 | 119.3 | .0 |
| 5.00 | 1.5 | .88 | .18 | 1.000 | 126.1 | .0 |
| 10.00 | 1.5 | .88 | .18 | 1.000 | 149.9 | .0 |
| 15.00 | 1.5 | .88 | .18 | 1.000 | 165.6 | .0 |
| 20.00 | 1.5 | .88 | .18 | 1.000 | 177.5 | .0 |
| 25.00 | 1.5 | .88 | .18 | 1.000 | 187.2 | .0 |
| 30.00 | 1.5 | .88 | .18 | 1.000 | 195.2 | .0 |
| 35.00 | 1.5 | .88 | .18 | 1.000 | 202.0 | .0 |
| 40.00 | 1.5 | .88 | .18 | 1.000 | 207.9 | .0 |
| 45.00 | 1.5 | .88 | .18 | 1.000 | 212.9 | .0 |
| 50.00 | 1.5 | .88 | .18 | 1.000 | 217.2 | .0 |
| 55.00 | 1.5 | .88 | .18 | 1.000 | 220.9 | .0 |
| 60.00 | 1.5 | .88 | .18 | 1.000 | 224.0 | .0 |
| 90.00 | 1.5 | .88 | .18 | 1.000 | 232.2 | .0 |

TABLE III.—GEOSTATIONARY ORBIT EQUILIBRIUM TEMPERATURE AT NEAR ECLIPSE

| ILUMANG (DEG) | ALTITUDE | FV | TR-K | TS-K | AE | AE-2 | AU | QW-WATTS | |
|---------------|----------|--------|------|-------|------|------|-----|----------|----|
| Sun | Earth | (K-KM) | | | | | | | |
| .1 | 1.0 | 35.88 | 1.0 | 300.0 | 59.5 | .18 | .80 | 1.000 | .0 |
| .1 | 2.0 | 35.88 | 1.0 | 300.0 | 64.6 | .18 | .80 | 1.000 | .0 |
| .1 | 3.0 | 35.88 | 1.0 | 300.0 | 68.7 | .18 | .80 | 1.000 | .0 |
| .1 | 4.0 | 35.88 | 1.0 | 300.0 | 72.2 | .18 | .80 | 1.000 | .0 |
| .1 | 5.0 | 35.88 | 1.0 | 300.0 | 75.2 | .18 | .80 | 1.000 | .0 |
| .1 | 6.0 | 35.88 | 1.0 | 300.0 | 77.9 | .18 | .80 | 1.000 | .0 |
| .1 | 7.0 | 35.88 | 1.0 | 300.0 | 80.4 | .18 | .80 | 1.000 | .0 |
| .1 | 8.0 | 35.88 | 1.0 | 300.0 | 82.6 | .18 | .80 | 1.000 | .0 |
| .1 | 9.0 | 35.88 | 1.0 | 300.0 | 84.7 | .18 | .80 | 1.000 | .0 |
| .1 | 10.0 | 35.88 | 1.0 | 300.0 | 86.6 | .18 | .80 | 1.000 | .0 |

Results of the type illustrated above have been used in the design of radiators for deep space probes (Juhasz, et al., 1999). The computational code can also be used to establish environmental conditions for structures that generate solar power in geostationary orbits.

CONCLUDING REMARKS

A detailed derivation of the constitutive equations and relationships that describe radiant energy exchange in space has been completed and used as the basis for developing a computational code. The equations describe heat-transfer mechanisms related to key variables such as solar or stellar radiation, reflected planetary radiation (albedo), direct planetary radiation in the infrared portion of the electromagnetic spectrum, and onboard generated heat that must be rejected to the space environment.

To rapidly evaluate a combination of these heat-transfer mechanisms, the comprehensive multioptional computer code TSCALC was developed and verified against some independent determinations and measurements found in the literature.

Outputs from the code have also been used to determine equilibrium space sink temperatures for deep-space probes.

REFERENCES

- Goldman, D.T.; and Singer, S.F.: Studies of a Minimum Orbital Unmanned Satellite of the Earth (MOUSE). Part III: Radiation Equilibrium and Temperature, *Astronau. Acta*, vol. 3, 1957, pp. 110–129.
- Gordon, Gary D.: *Spacecraft Technology. Part II: chapter 7—Thermal Control*. Comsat Laboratories, March 1982, pp. 7–1 to 7–44.
- Juhasz, Albert J.; Tew, Roy C.; and Thieme, Lanny G.: Design and Analysis Code for Heat Pipe Radiators of Stirling Power Systems Applicable to Deep Space Probes. Presented at the 11th International Heat Pipe Conference, (Tokyo, Japan), Sept. 1999.
- Rittenhouse, John B.; and Singletary, John B.: *Space Materials Handbook: Supplement 2 to the Second Edition Space Materials Experience*. Lockheed Tech. Report AFML–TR–64–40, Supp. 2, 1968.

REPORT DOCUMENTATION PAGE

Form Approved
OMB No. 0704-0188

Public reporting burden for this collection of information is estimated to average 1 hour per response, including the time for reviewing instructions, searching existing data sources, gathering and maintaining the data needed, and completing and reviewing the collection of information. Send comments regarding this burden estimate or any other aspect of this collection of information, including suggestions for reducing this burden, to Washington Headquarters Services, Directorate for Information Operations and Reports, 1215 Jefferson Davis Highway, Suite 1204, Arlington, VA 22202-4302, and to the Office of Management and Budget, Paperwork Reduction Project (0704-0188), Washington, DC 20503.

| | | | |
|---|---|--|-----------------------------------|
| 1. AGENCY USE ONLY (<i>Leave blank</i>) | 2. REPORT DATE January 2001 | 3. REPORT TYPE AND DATES COVERED Technical Memorandum | |
| 4. TITLE AND SUBTITLE An Analysis and Procedure for Determining Space Environmental Sink Temperatures With Selected Computational Results | | 5. FUNDING NUMBERS WU-632-6A-1K-00 | |
| 6. AUTHOR(S) Albert J. Juhasz | | | |
| 7. PERFORMING ORGANIZATION NAME(S) AND ADDRESS(ES) National Aeronautics and Space Administration John H. Glenn Research Center at Lewis Field Cleveland, Ohio 44135-3191 | | 8. PERFORMING ORGANIZATION REPORT NUMBER E-12288-2 | |
| 9. SPONSORING/MONITORING AGENCY NAME(S) AND ADDRESS(ES) National Aeronautics and Space Administration Washington, DC 20546-0001 | | 10. SPONSORING/MONITORING AGENCY REPORT NUMBER NASA TM-2001-210063 | |
| 11. SUPPLEMENTARY NOTES Prepared for the 2000 International Conference on Environmental Systems sponsored by the Society of Automotive Engineers, Toulouse, France, July 11-14, 2000. Responsible person, Albert J. Juhasz, organization code 5440, 216-433-6134. | | | |
| 12a. DISTRIBUTION/AVAILABILITY STATEMENT Unclassified - Unlimited Subject Categories: 18 and 64 Available electronically at http://gltrs.grc.nasa.gov/GLTRS This publication is available from the NASA Center for AeroSpace Information, 301-621-0390. | | 12b. DISTRIBUTION CODE | |
| 13. ABSTRACT (<i>Maximum 200 words</i>) The purpose of this report was to analyze the heat-transfer problem posed by the determination of spacecraft temperatures and to incorporate the theoretically derived relationships in the computational code TSCALC. The basis for the code was a theoretical analysis of the thermal radiative equilibrium in space, particularly in the Solar System. Beginning with the solar luminosity, the code takes into account these key variables: the spacecraft-to-Sun distance expressed in astronomical units (AU), where 1 AU represents the average Sun-to-Earth distance of 149.6 million km; the angle (arc degrees) at which solar radiation is incident upon a spacecraft surface (ILUMANG); the spacecraft surface temperature (a radiator or photovoltaic array) in kelvin; the surface absorptivity-to-emissivity ratio α/ϵ with respect to the solar radiation and $(\alpha/\epsilon)_2$ with respect to planetary radiation; and the surface view factor to space F . Outputs from the code have been used to determine environmental temperatures in various Earth orbits. The code was also utilized as a subprogram in the design of power system radiators for deep-space probes. | | | |
| 14. SUBJECT TERMS Space temperatures; Computer code | | 15. NUMBER OF PAGES 16 | 16. PRICE CODE A03 |
| 17. SECURITY CLASSIFICATION OF REPORT Unclassified | 18. SECURITY CLASSIFICATION OF THIS PAGE Unclassified | 19. SECURITY CLASSIFICATION OF ABSTRACT Unclassified | 20. LIMITATION OF ABSTRACT |